## 6. External returns to scale

## Assumption of productivity

- Labour productivity (α) not constant
- Unrealistic assumption (theory of comp adv): all industries interchangeable, just specialise in higher relative productivity industry
  - Some industries have positive spillovers (manufacturing)
  - Specialisation need not to be fixed (based on current comp adv)
- Ex: SK's export miracle: overtime, SK shifted export from primary resources (minerals) to manufacturing (electronics, automobiles), exports >40% GNP with manufacturing occupying 90%

## Manufacturing

- Reasons for manufacturing:
  - Empirics: manufacturing jobs tend to pay 10% more wages, holding all other constant
  - Empirics: large share of R&D (research development) from manufacturing
- Graham's case for protection: manufacturing has special properties, promote local industry even without natural comp adv
  - Similar to IIP, but *permanent* protection
  - Analysed with ERS

## ERS External returns to scale

- Production function: produce  $\alpha_M$  units of M per unit of time

$$_{\circ} Q_M = \alpha_M L_M$$

- Manufacturing output = labour productivity \*employment of M
- Max output firm can produce given level of inputs
- Diff country size (L size) may = higher productivity
- Marginal product of labour (MPL) productivity

$$O_{O} MPL_{M} = \frac{\mathrm{d}Q_{M}}{\mathrm{d}L_{M}},$$

 $FL_M = \frac{1}{dL_M}$ ,  $MPL_M = \alpha_M$  ( $\alpha_M$  constant in linear model)

- $\circ$   $\$  But productivity evolves with industry so  $\alpha_M$  should not constant
  - Hiring additional worker = more additional output

Increasing external returns to scale (ERS): 
$$Q_M = L_M^2$$

- $\circ$  MPL<sub>M</sub> = 2L<sub>M</sub>  $\rightarrow$  linear in L, MPL increase in L
- More worker in industry = higher labour productivity increase
  - ERS: labour productivity α depends on scale of industry
  - Labour productivity increase in L<sub>M</sub>: positive externality

- Decreasing external returns to scale (ERS):  $A = \alpha_A L_A^{1/2}$ 
  - MPL<sub>A</sub> =  $(\frac{1}{2}\alpha_A)/(\sqrt{L})$  → MPL decrease in L
  - more worker in industry = lower labour productivity increase
- ERS matter:
  - Productivity growth comes from
    - within productivity: better trading, education
    - structural change: movement of labour away low productivity (agriculture commodity) to high productivity (high tech)
  - Some country exhibits negative structural change: move from high to low productivity, ERS industries to low-prod (decrease in prod)
  - Countries need critical mass (big enough L) in industry to competitive protection allow local to achieve scale and acquire comp adv: calculate MPL

## **Ricardian with ERS**

- SK and JP have identical production functions:

  - - Nominal wage:  $W = \alpha_A P_A \rightarrow$  worker contribution to revenue

$$\circ \quad Q_M = \alpha_M L_M^2$$

 $\alpha$  constant but non-linear function = labour productivity not constant

Not wage=MPL\*P = $2\alpha LP$  bc does not use profit max but 0 profit condition bc ERS

- Nominal wage:  $w = \alpha_M L_M P_M$  bc more worker=increase prod in scale, wage increase to keep up with prod (perfect comp market)
  - so L pop size affects comp adv now (as relative P and α use concept of equal w)
- Comparative adv: though same  $\alpha$  and production function but diff L pop sizes = diff OC and comp adv
- Calculation: SK has 10L ( $L_A+L_M$ ), JP has 20L, half in each industry
  - SK L<sub>A</sub>=5, SK L<sub>M</sub>=5; JP L<sub>A</sub>=10, JP L<sub>M</sub>=10
  - Autarky relative price of M: same wage (w)
    - $a_M L_M P_M = \alpha_A P_A$

$$\frac{P_M}{P} = \left(\frac{\alpha_A}{\alpha}\right) \left(\frac{1}{I}\right)$$

 $\frac{P_M}{P_A} = \left(\frac{\alpha_A}{\alpha_M}\right) \left(\frac{1}{L_M}\right) \rightarrow \text{OC of M (relative price of M) depends } L_M$ 

- Higher L<sub>M</sub> (higher prod) = lower OC of M (lower autarky relative price)
- $\circ \quad \text{Let } \alpha_{M} = \alpha_{M}^{*} = 1 \text{ and } \alpha_{A} = \alpha_{A}^{*} = 1$ 
  - $L_M = 5$  in South Korea  $\longrightarrow P_M/P_A = 0.2$
  - $L_M^* = 10$  in Japan  $\longrightarrow P_M^*/P_A^* = 0.1$ 
    - JP higher employment in M = comp adv even worker not inherently more prod

- If M is special and more desired and if increasing ERS in M: smaller country = comp disadv
- If increasing ERS → smaller countries should consider protect local industry
  - \*BUT L size *does not* guarantee comp adv in increasing ERS industry (if has sufficiently unproductive labour can have lower OC=comp adv bc in relative terms)
- If decreasing ERS → larger L = less productive = lower OC in that industry

## Protection pros and cons

- Empirics: if protection is necessary, do the following
  - Aim to achieve dynamic efficiency via international competitiveness (make export globally competitive)
  - Provide flexibility so allow private initiative to flourish
  - Obtain and continuously update info to judge potential comp adv (SK: close relationship between gov and exporters, so allow info flow)
  - $\circ$   $\,$  Only limited number of industries should be targeted  $\,$
- Against protection:
  - Protection means higher prices (lower CS)
  - o OC in protection expenditure (subsidy and not healthcare education)
  - Embeddedness: needs to be interaction between private and public sectors throughout the process
    - Bureaucrats need to be in between arms-length relationship and full capture (or corruption scandals)
  - Discipline: must have way to punish under-performers or disengage if policy not working
    - Use automatic sunset clauses or establish binding targets (achieve specific goals in exchange for export protection)
  - Accountability: must have way to hold relevant public agency accountable
    - Cannot use other reasons to permanently fund the industries

# 7. Heckscher-Ohlin model

### Setup

- Country export things not higher relative productivity in: Brazil biggest exporter of soybean – not the most productive country
- Other reason for trade patterns: relative endowment
  - Two countries: Brazil and China.
  - Two products: manufacturing and agriculture
  - Two factors of production.
    - Labour (L) $\bigcirc$  Land (K)

Ricardian: only 1 factor of production

- Countries have diff factor endowments:
  - Brazil has L units of labour and K units of land
  - China has L\* units of labour and K\* units of land

## Assumptions

Adding to Ricardian

- 1) B is relatively land-abundant and C is relatively labour-abundant
  - Relatively: compare land to labour ratio of B and that of C, B>C
- $\frac{K}{L} > \frac{K^*}{L^*} \rightarrow \text{not absolute difference}$
- 2) Agriculture is relatively land-intensive
  - $\circ$   $a_{ij}$ : amount of factor i needed to produce product j

$$\frac{a_{KA}}{a_{KM}} > \frac{a_{KM}}{a_{KM}}$$

- Agriculture higher land-labour ratio: *aLA* alm
- Abundance: compare countries; intensity: compare industries
- Ex: M needs 20 workers and 5 land (needs 4 times worker as land), A needs 5 workers and 10 land (needs 2 times as land), A is relatively land intensive
- 3) Production technology used to produce two products identical across countries
  - Ricardian: diff  $\alpha$  (prod function parameter) = diff comp adv
  - HO: no diff  $\alpha$  prod function (tech) not source of comp adv but endowment
    - B and C have same equilibrium K/L ratios in both industries
    - Just diff factors of production
- 4) Consumer preferences same across countries
- 5) Workers fully mobile across industries within a country: no cost from changing job
- 6) Products traded freely, but workers immobile across countries
- 7) Market for both factors of production must clear: total supply demand equal (for land and worker)

### Heckscher-Ohlin theorem

- As both market for factors must clear -
- Labour market

$$L_A + L_M = L$$

- $a_{LA}A + a_{LM}M = L_{\pm}$ 
  - *a<sub>LA</sub>* and *a<sub>LM</sub>*: labour required to produce one unit of output (A or M)
    A and M: total output of products

 $A=0 \rightarrow \text{production}$ 

 $\circ \quad a_{LM}M = L - a_{LA}A$  $M = \left(\frac{1}{2}\right)L - \left(\frac{a_{LA}}{2}\right)$ 

$$\overline{M} = \frac{L}{a_{IN}}$$

capacity of M:  $a_{LM}$ , each worker produce  $a_{LM}$ 

•  $\overline{M}$  increases in L labour (M labour-intensive)

### - Land market

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- $\circ \quad a_{KA}A + a_{KM}M = K$ 
  - $a_{KA}$  and  $a_{KM}$ : land required to produce one unit of output (A or M)
  - $a_{KA}A$  is the total land used in  $A_{i}$ , same for  $a_{KM}M$

$$a_{KA}A = K - a_{KM}M.$$

$$A = \left(\frac{1}{a_{KA}}\right)K - \left(\frac{a_{KM}}{a_{KA}}\right)M$$

$$If allocate all worker to A ($$

■ If allocate all worker to A (complete specialise): M=0 → production  $\overline{A} = -\frac{K}{K}$ 

capacity of A:  $a_{KA}$ , each land produce  $a_{KA}$ 

• Ā increases in K land (A land-intensive)

#### - Relative production capacity of A: A/M ratio

$$\frac{\overline{A}}{\overline{M}} = \frac{K/a_{KA}}{L/a_{LA}}$$

$$= \left(\frac{K}{L}\right) \left(\frac{a_{LA}}{a_{KM}}\right)$$

$$\circ \text{ Home (B):} \qquad \frac{\overline{A}^*}{\overline{M}^*} = \left(\frac{K^*}{L^*}\right) \left(\frac{a_{LA}^*}{a_{KM}^*}\right)$$

$$\circ \text{ Foreign (C):} \frac{\overline{M}^*}{\overline{M}^*} = \left(\frac{K^*}{L^*}\right) \left(\frac{a_{LA}^*}{a_{KM}^*}\right)$$

- Assume same prod tech so  $a_{LA} = a_{LA}^*$  and  $a_{KM} = a_{KM}^*$ 

$$\frac{K}{L} > \frac{K^*}{L^*} \longrightarrow \frac{\overline{A}}{\overline{M}} > \frac{\overline{A}^*}{\overline{M}^*}$$

- Assume B is more relatively land-abundant: <sup>L</sup> o B prod capacity of A > C prod capacity of A
  - bc B more relatively land-abundant, C is more labour-abundant (so adv in M)