

**Default** is the potential that an obligor (commonly a borrower) will fail to meet its obligations in accordance with agreed terms. A company will default if the value of its assets fall below the book value of liabilities. Thus default is a function of:

- The value of the assets
- The volatility of the assets
- The extent of leverage: Leverage is the relationship between debt and equity.

#### Calculating Distance to Default (D-D):

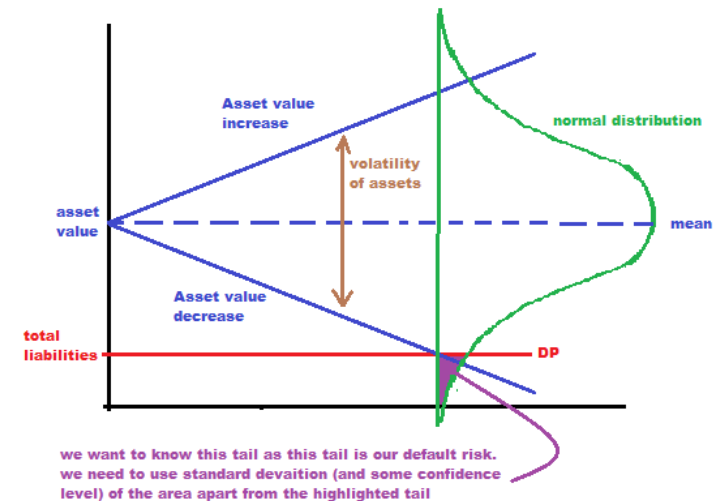
- **D-D** is the number of standard deviations that asset values are currently “away” from default’
- Calculated as:  $D-D = (Ma - DP) / (Ma \times Avol)$

Where:

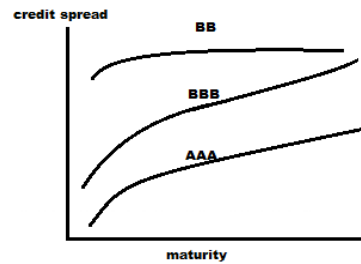
Avol = Asset Volatility 1 standard deviation in observed changes in asset values (Ma).

Ma = Market Value of Assets = MVE – MVL

The EDF is based on the history of default for firms with same std. deviation away from default over the timeframe.



	Description	Formula/calculation	Limitation
<b>Credit Spreads</b>	<p>The margin compared with the risk free rate, that is designed to compensate (like the premium) the lender or investor for the risk of default.</p> <ul style="list-style-type: none"> <li>• Can only Increase above or fall down to the risk free rate (not below it).</li> <li>• The Term Structure of Credit Spreads is not parallel uniform function <ul style="list-style-type: none"> <li>○ Risk of default increases with time</li> <li>○ The longer the time horizon or time to maturity, the larger the volatility and the wider the credit spread.</li> </ul> </li> <li>• Credit spread and hence the market sets the probability of default</li> </ul>	<p style="text-align: center;"><math>C = k - i</math></p> <p>Where  <math>k</math> = Yield on credit risky security    <math>i</math> = Yield corresponding risk free security</p> <p>Function of : <math>(1+i) = p(1+k)</math>  The expected probability of default = <math>pd = (1-p)</math>  where <math>p</math> = Probability of Repayment  <math>(1+i) = (1-p)(1+k)</math></p> <p>Note: The cumulative Pd will be the product of marginal Pd's in each period  <math>\{Cpd = 1 - (p_1 \times p_2 \times p_3)\}</math></p> <p>In the event that the obligor defaults; the bank will receive payment (A) by way of recovery:  <math>A = \lambda(1+K)</math>  where <math>\lambda</math> = expected recovery rate  Therefore:  <math>(1+i) = \{(1-p) \times \lambda(1+K)\} + \{p(1+k)\}</math></p>	<ul style="list-style-type: none"> <li>○ The absence of market rates for the risky securities</li> <li>○ The absence of market rates for risk free securities</li> <li>○ Sparse data points</li> <li>○ Inefficient or illiquid markets</li> <li>○ Frictions in trading markets</li> <li>○ Liquidity spreads</li> </ul>



To calculate the Pd for each period we need to calculate the forward rates (f) for i and k. The formula below (for i in this case) can be used:  

$$1 + f \cdot n/m = \{(1 + im)^m\} / \{(1 + in)n\}$$
 solve for f n/m

