

Biomechanics

Kinematics: Study of the description of motion.

E.g. Forms of *motion*

- Linear: straight or curved line
 - Pure Linear Motion: All parts of body move the same distance, direction in the same time
 - Rectilinear: straight line
 - Curvilinear: curved line
- Angular: Body move in circular path → Axis of rotation
- General Motion: Combination of linear & angular motion

Kinetics: Study of the action of forces

Anthropometry: Measurement of dimensions & weights of body segments

Kinesiology: Study of human movement from the perspective of art & science

Basic Physics

Inertia: Tendency of an object to resist change in its motion

→ Inertia is directly proportional to mass

Force: Push/ Pull → $F=ma$

Weight Force- force due to gravity → $w=m \times 9.8$ (on earth)

Pressure: Force per unit area → $P=F/A$

P = pressure in $N.m^{-2}$

A = area in m^2

F = force in N

Volume: Space occupied by an object → Litres (L) or Millilitres (mL)

Density: Mass per unit volume → $P= m/v$

P = density in $kg.l^{-1}$ or $g.ml^{-1}$

m = mass

v = volume

Torque: Turning effect of a force → $T= F \times d$ Units: Nm

Impulse: Force x time Units: Ns

Scalar: Magnitude (size) e.g. mass, volume, time, speed

Vector: Magnitude & direction e.g. displacement, velocity, force

→ Arrows have both magnitude & direction.

Head: direction *Tail*: Magnitude

Linear Kinematics

- Linear Kinematics involves study of shape, form, pattern (no ref to force)
- Linear motion: Straight line
- Translational motion: occurs in a straight line when all points on a body or an object moves the same distance over the same time

Distance & Displacement

- Distance (l): length between start & finish point (along a pathway from A → B)
 - Scalar, Symbol = l (alternative symbol d), Units = m
- Displacement (d): straight line distance between a start and finish point with its direction indicated (straight from A → B)
 - Vector, Symbol = d (alternative symbol is s), Units m (+ direction)

Speed & Linear Velocity

- Speed: rate at which a body moves from one location to another
 - $S = \text{distance (l)} / \text{time (t)}$
 - Scalar Units = m/s, ms⁻¹, m.s⁻¹
- Velocity: rate at which a body moves from one location to another in a given direction
 - $V = \text{displacement (d)} / \text{time (t)}$
 - Vector Symbol = v Units = m/s, ms⁻¹, m.s⁻¹ (+ direction)

Slope measured from tangent

slope = rise / run

= 5 m / 3 s

= 0.1666 m.s⁻¹

- The slope of a displacement – time curve is the derivative and represents the velocity
- If slope is steep means velocity is high b/w position changes
- If slope is flat means velocity is low b/w position changes
- If no change in position (no rise) then slope & velocity will = 0
- Usually a +ve or –ve value indicates the direction of travel

BUT actual interpretation depends on directional information

Problems

A soccer ball is kicked at a 35° angle with an initial speed at 12 ms^{-1} . How high & how far does the ball go?

• **A: What do we know:**

- Release $\theta = 35^\circ$
- Release speed (v) = 12 m s^{-1}
- Release height = 0
- Acceleration = -9.81 ms^{-2}

• **B: What do we want to know:**

1) How high does the ball go?

vertical height (s)

- Resolve release velocity into horizontal (x) and vertical (y) components

$$\begin{aligned}V_x &= 12 \times \cos 35 \\&= 12 \times 0.819 \\&= 9.83 \text{ ms}^{-1}\end{aligned}$$

$$\begin{aligned}V_y &= 12 \times \sin 35 \\&= 12 \times 0.574 \\&= 6.88 \text{ ms}^{-1} \text{ up}\end{aligned}$$

Note – height is not dependent on the **horizontal component** (which is not influenced by gravity), but it is the **vertical component** that determines *max height* & this is influenced by gravity

• **C: Find the right formula, re-arrange it and put in the values.**

- To calculate vertical displacement (s)

$$V_f^2 = v_i^2 + 2as$$

$$0 = 6.882 + 2(-9.8) \times s$$

$$0 = 6.882 - 19.6s$$

$$19.6s = 6.882$$

$$s = 6.882 / 19.6$$

$$= 2.41502 \text{ or } 2.42 \text{ m}$$

→ max height is 2.42 m above release point.

2. How far does the ball go?

- 1st Calculate time of flight
- Because release height is ZERO, **time up = time down**
- Time of flight = 2 x time up

• **A: What do we know:**

$$V_y = 6.88 \text{ ms}^{-1}$$

$$V_f = 0$$

$$a = -9.8 \text{ ms}^{-2}$$

• **B: What do we want to know:**

time up (tup) x 2

$$v_f = v_y + at$$

$$0 = 6.88 + (-9.8 \times t)$$

$$9.8t = 6.88$$

$$t = 6.88 / 9.8$$

$$t = 0.70 \text{ s}$$

$$\rightarrow t \text{ of flight} = 2 \times 0.7$$

$$= 1.40 \text{ s}$$

Solving horizontal distance

$$s_x = v_x \times t$$

$$= 9.83 \times 1.40 \text{ s}$$

$$= 13.76 \text{ m}$$

NOTE - Range is dependent on horizontal component which is not influenced by gravity